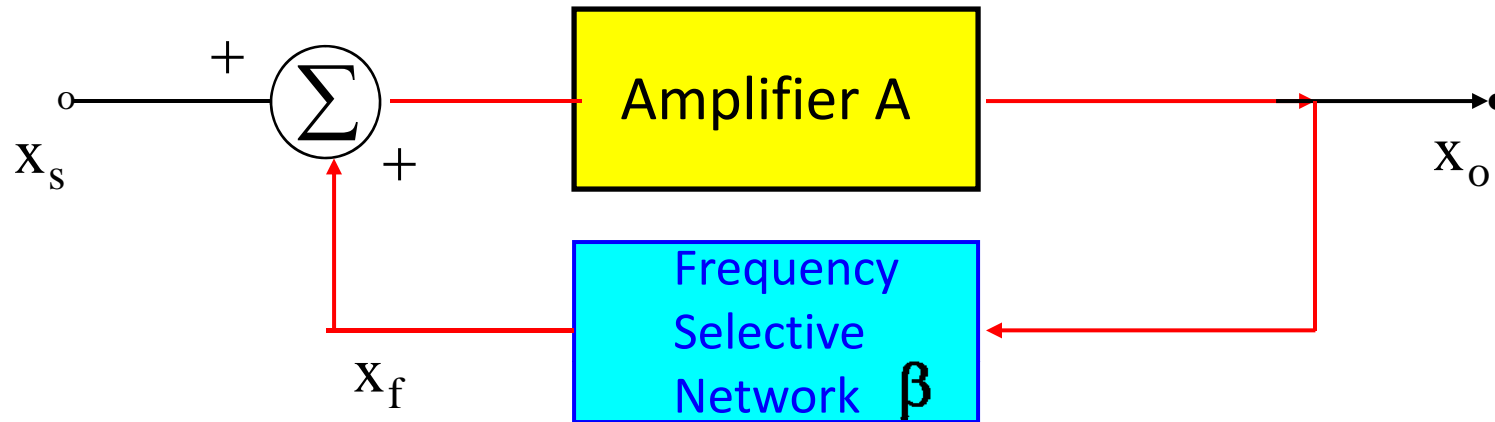


OSCILLATORS

Fundamentals. **Linear Aspects:** Oscillation conditions.



$$A_f = \frac{x_o}{x_s} = \frac{A}{1 - \beta A} = \frac{A(s)}{1 - \beta(s) A(s)}$$

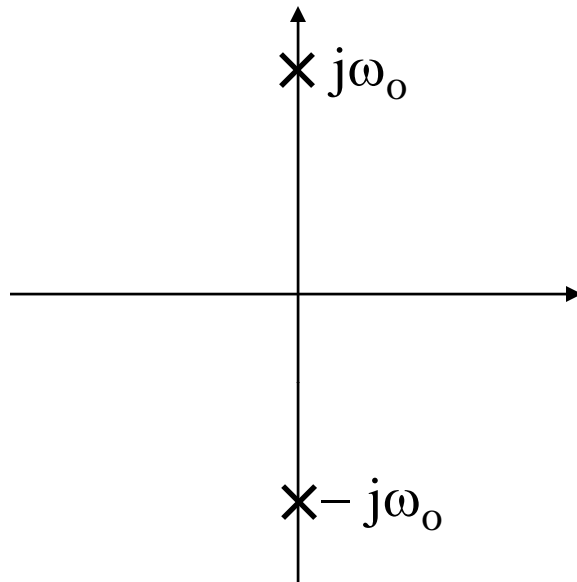
$$D(s) = 1 - \beta(s) A(s) = 1 - L(s)$$

$$L(j\omega_o) \triangleq A(j\omega_o) \beta(j\omega_o) = 1 \quad \text{Barkhausen Criteria}$$

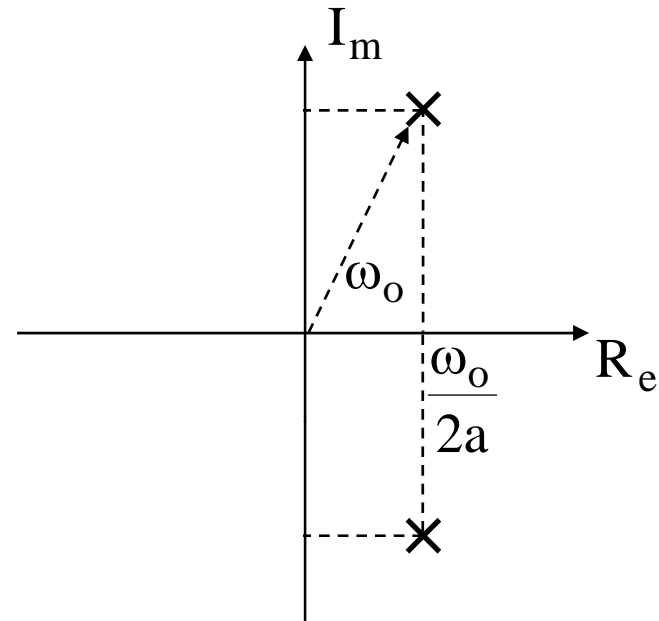
Note that for the circuit to oscillate at one frequency the oscillation criterion should be satisfied at one frequency only; otherwise the resulting waveform will not be a simple sinusoid.

Need of Nonlinear Amplitude Control

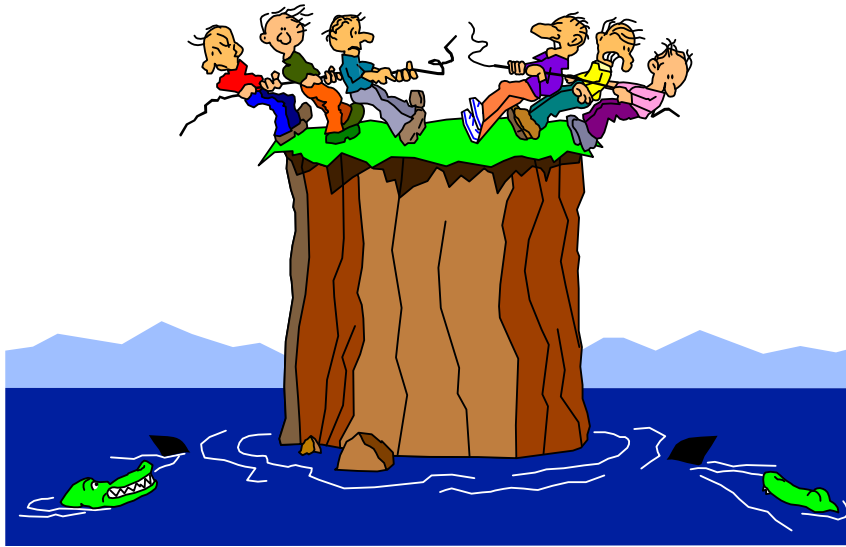
Location of poles



Not practical
why?

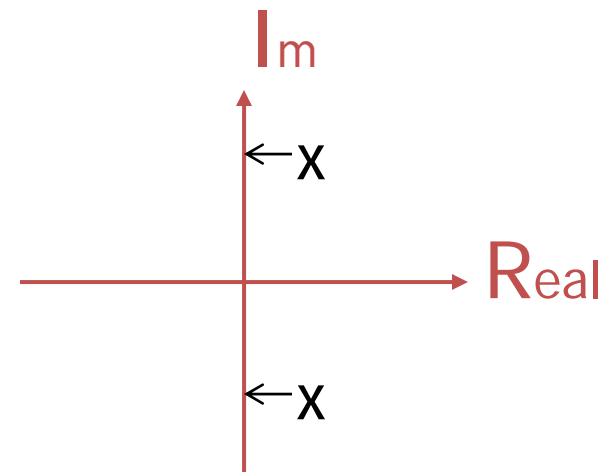


Practical.
How do you push
the poles into the
 $j\omega$ axis?

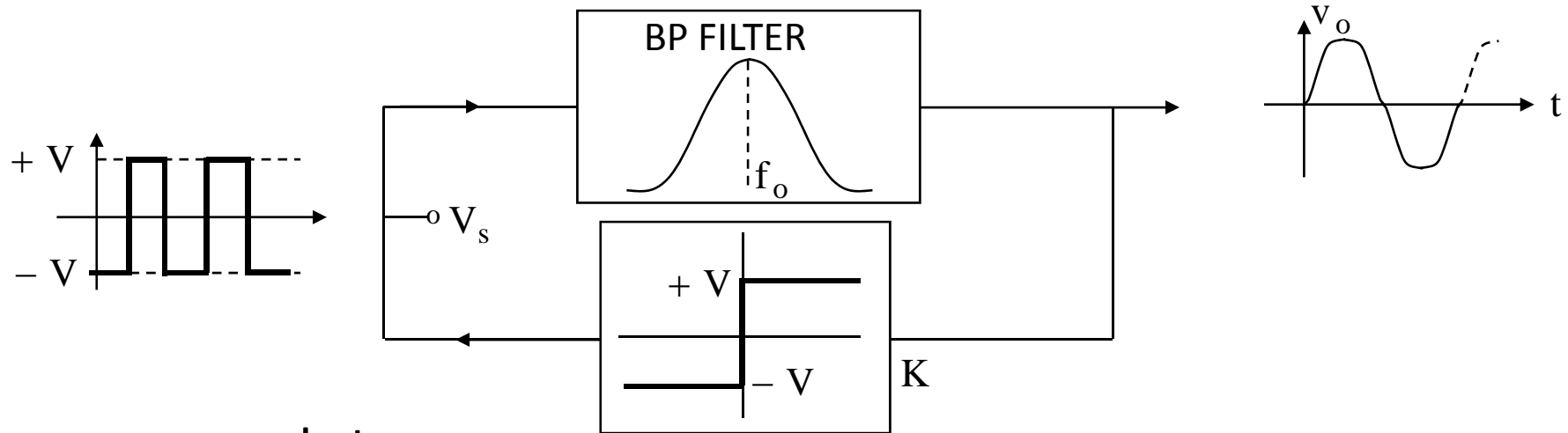


In the ideal case this is easy to design, but in the real case there a lot of system parameters that can change the poles due to their physical characteristics.

Therefore, the poles should not lie on the imaginary axis. One should design the poles so that they lie in the right half of the s-plane. This creates positive feedback and guarantees that the circuit will oscillate. How far should we place the poles ?



BP Based Oscillator



Let

$$H_{BP}(s) = \frac{K_1 s}{s^2 + \frac{\omega_o}{Q} s + \omega_o^2}$$

$$D(s) = 1 - KH_{BP}(s)$$

$$\left(s^2 + \frac{\omega_o}{Q} s + \omega_o^2 \right) D(s) = s^2 + \frac{\omega_o}{Q} s + \omega_o^2 - KK_1 S$$

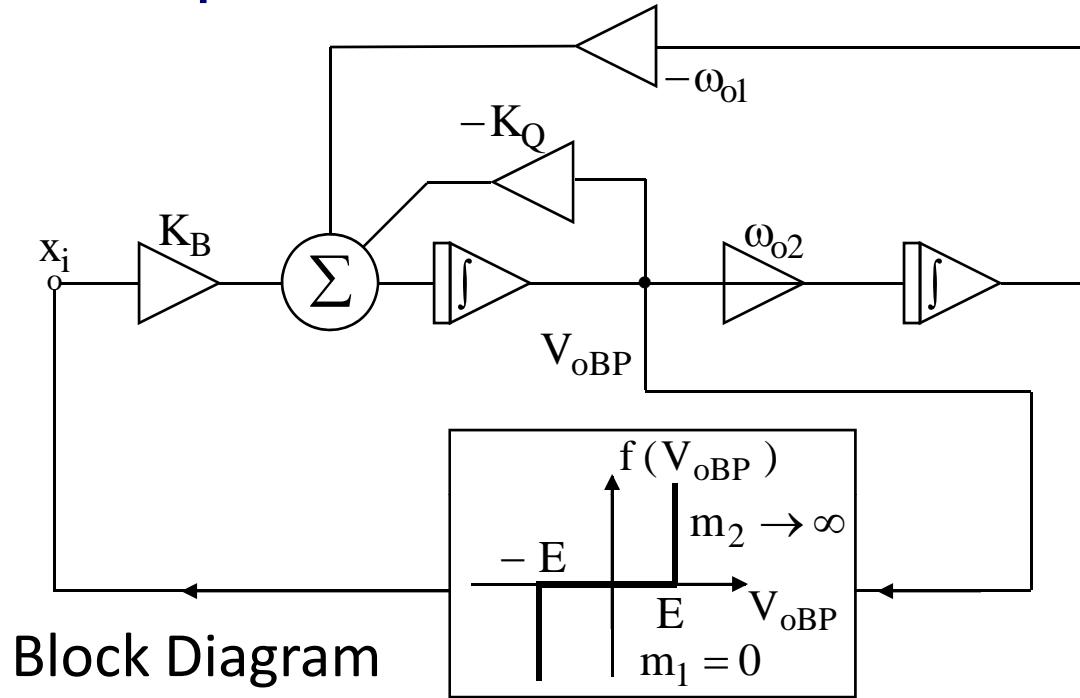
Characteristic Equation

$$s^2 - s \left(KK_1 - \frac{\omega_o}{Q} \right) + \omega_o^2$$

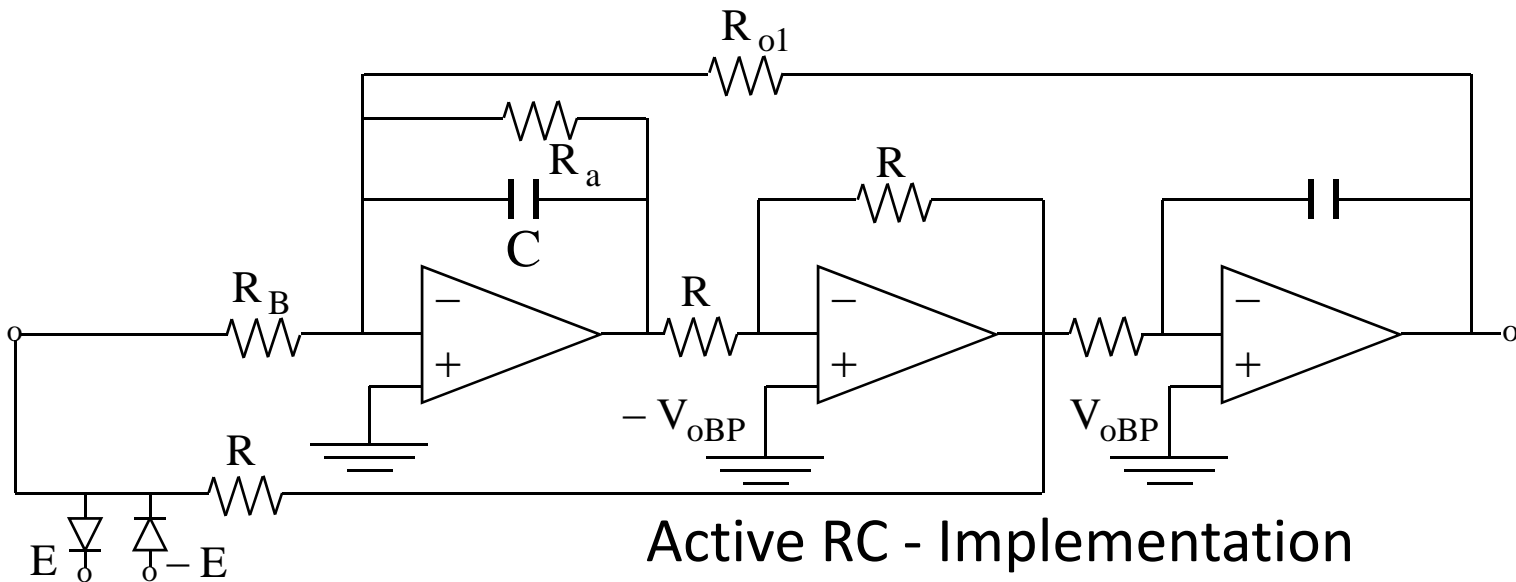
$$KK_1 > \frac{\omega_o}{Q}$$

i.e. positive feedback

A bandpass based Sinusoidal Oscillator

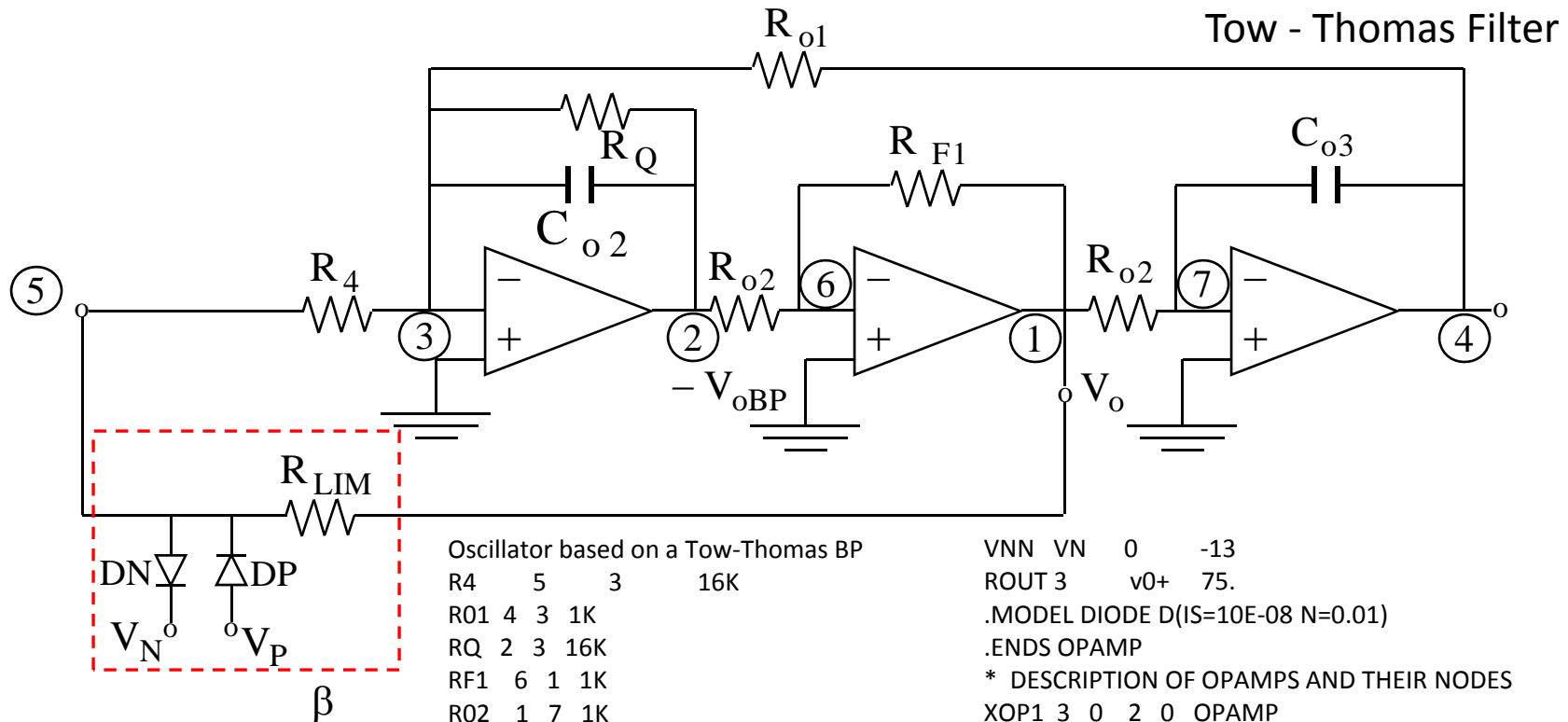


Block Diagram



Active RC - Implementation

BP Oscillator



Oscillator based on a Tow-Thomas BP

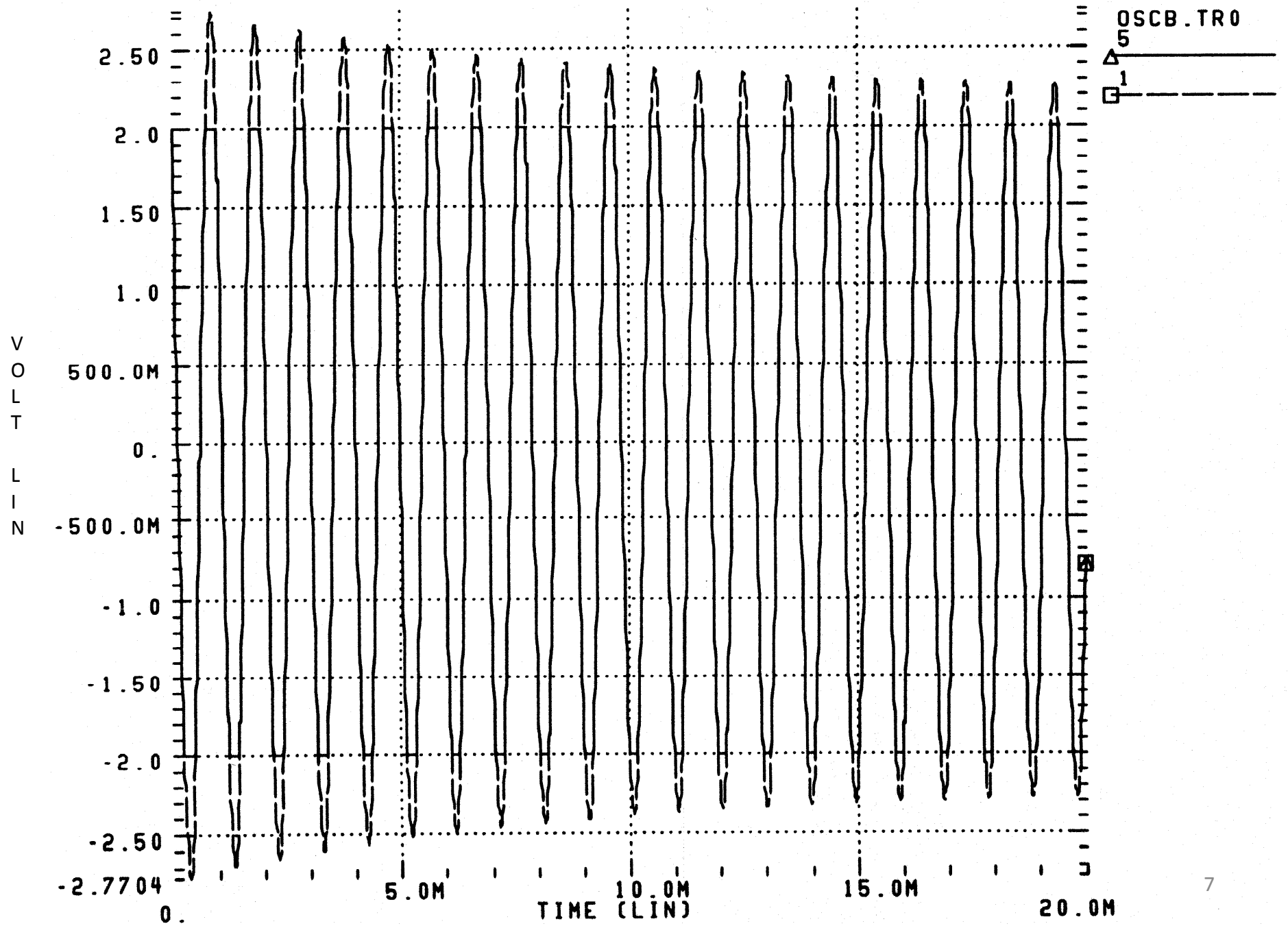
```

R4 5 3 16K
R01 4 3 1K
RQ 2 3 16K
RF1 6 1 1K
R02 1 7 1K
C02 3 2 0.1591549U
R03 2 6 1K
C03 7 4 0.1501549U
.SUBCKT OPAMP vi- vi+ v0+ v0-
*
*
RIN vi- vi+ 10E6
EIN 1 0 vi+ vi- 2E05
R3DB 1 2 1K
C3DB 2 0 0.159E-04
EOUT 3 VO- 2 0 1
DP 2 VP DIODE
DN VN 2 DIODE
VPP VP 0 13
    
```

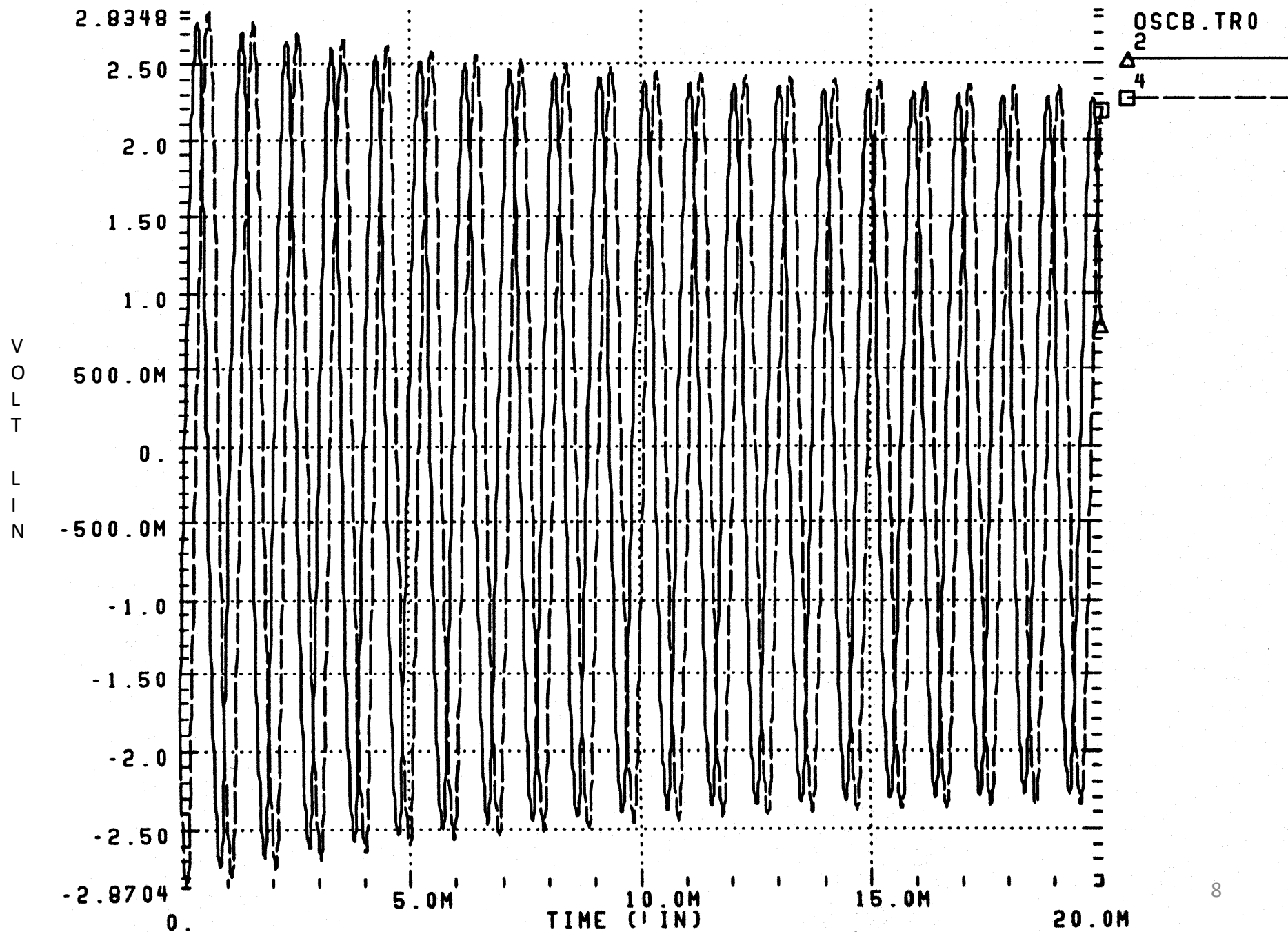
```

VNN VN 0 -13
ROUT 3 v0+ 75.
.MODEL DIODE D(IS=10E-08 N=0.01)
.ENDS OPAMP
* DESCRIPTION OF OPAMPS AND THEIR NODES
XOP1 3 0 2 0 OPAMP
XOP2 6 0 1 0 OPAMP
XOP3 7 0 4 0 OPAMP
*LIMITER CIRCUIT DESCRIPTION
RLIM 1 5 200
DP 5 VP DL
DN VN 5 DL
.MODEL DL D(IS=10E-09 N=0.0001)
VNL VN 0 -2
VPL VP 0 2
.TRAN 5U 20m UIC
.FOURIER 57 V(1) V(2) V(4)
.IC V(1)=2 V(2)=-2 V(4)=-2 V(5)=2
.OPTIONS POST
.END
    
```

OSCILLATOR BASED ON A TOW-THOMAS BP
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OSCILLATOR BASED ON A TOW-THOMAS BP
95/04/22 15:41:53



Oscillator based on a Tow-Thomas BP

```

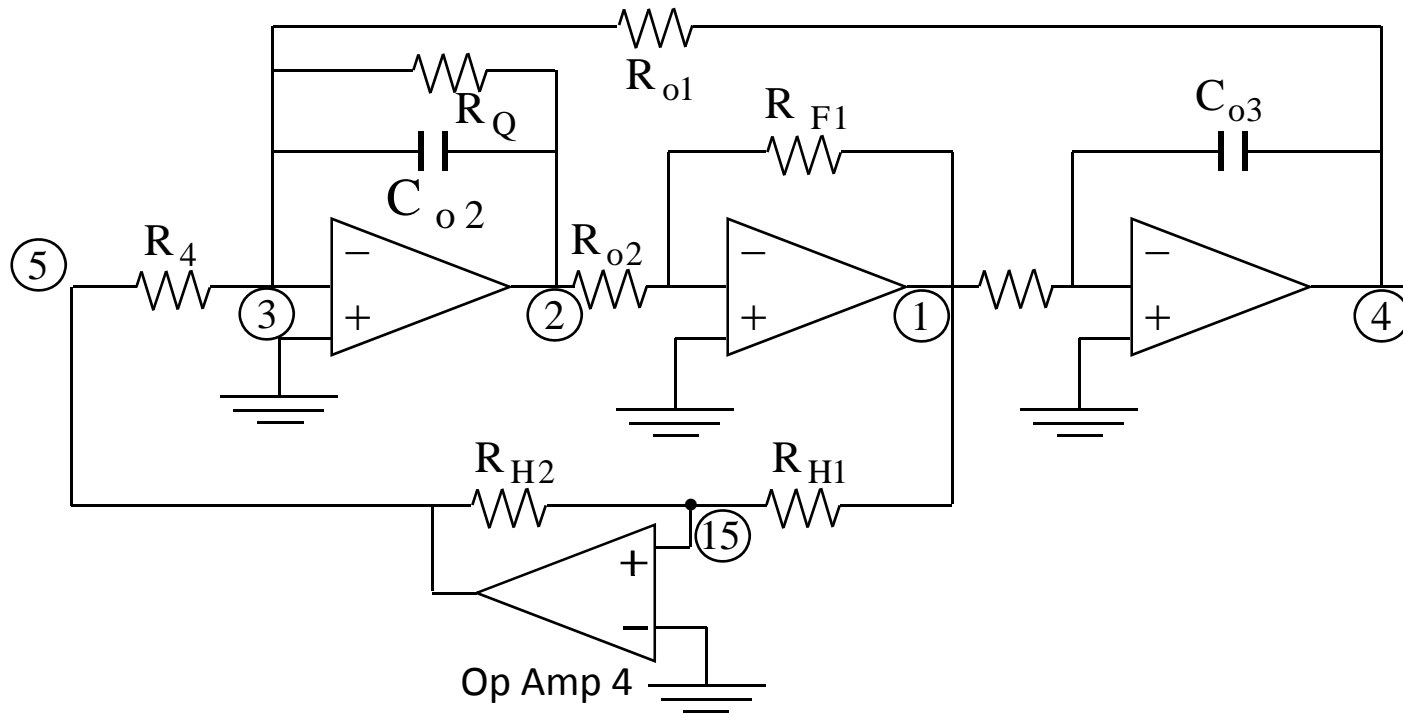
R4 5 3 16K
R01 4 3 1K
RQ 2 3 16K
R 6 1 1K
R 1 7 1K
C02 3 2 0.1591549U
R03 2 6 1K
C03 7 4 0.1501549U
.SUBCKT OPAMP vi- vi+ v0+ v0-
*
*
RIN vi- vi+ 10E6
EIN 1 0 vi+ vi- 2E05
R3DB 1 2 1K
C3DB 2 0 0.159E-04
EOUT 3 v0- 2 0 1
DP 2 VP DIODE
DN VN 2 DIODE

```

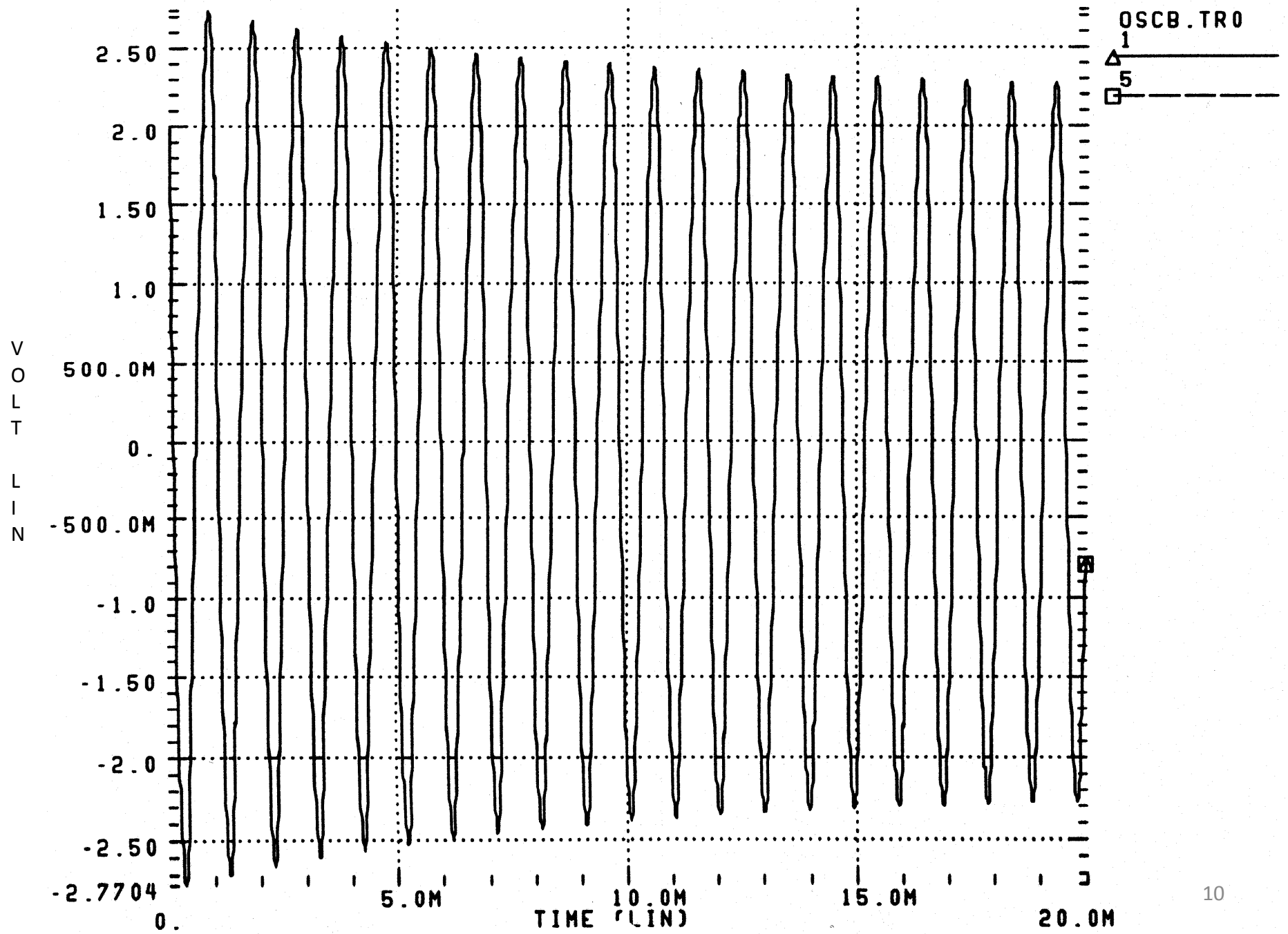
```

VPP VP 0 13
VNN VN 0 -13
ROUT 3 v0+ 75.
.MODEL DIODE D(IS=10E-08 N=0.01)
.ENDS OPAMP
* DESCRIPTION OF OPAMPS AND THEIR NODES
XOP1 3 0 2 0 OPAMP
XOP2 6 0 1 0 OPAMP
XOP3 7 0 4 0 OPAMP
*LIMITER Hysteresis CIRCUIT DESCRIPTION
RH1 1 15 2K
RH2 15 5 13K
XOP4 0 15 5 0 OPAMP
* DESIRED ANALYSIS RESPONSE
.TRAN 5U 20m UIC
.FOURIER 57 V(1) V(2) V(4)
.IC V(1)=2 V(2)=-2 V(4)=-2 V(5)=2
.OPTIONS POST
.END

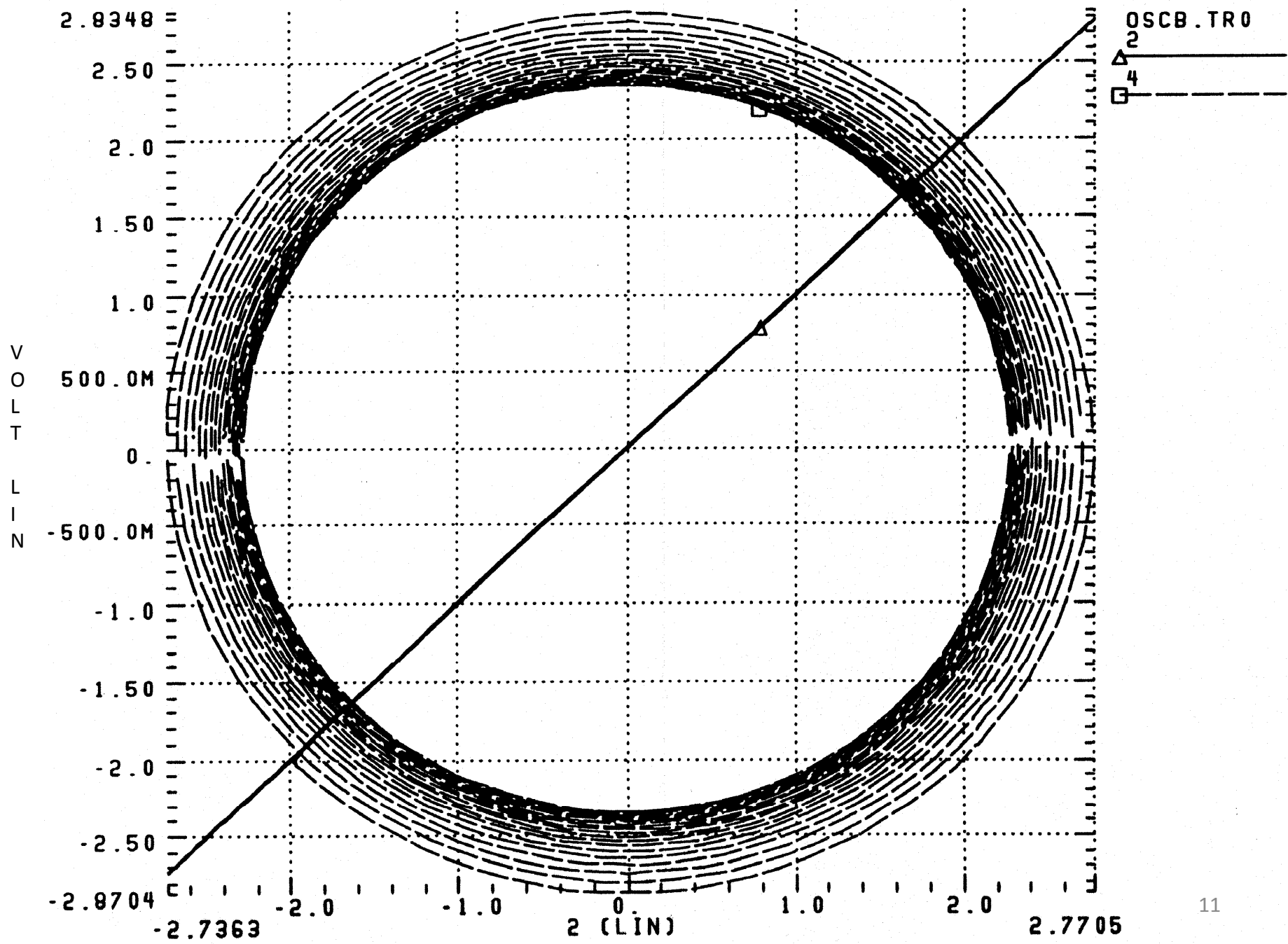
```



OSCILLATOR BASED ON A TOW-THOMAS BP
95/04/22 15:41:53



OSCILLATOR BASED ON A TOW-THOMAS BP
95/04/22 15:41:53



```

Oscillator based on a Tow-Thomas BP
R4 5 3 35K
R01 4 3 1.4K
RQ 1 3 9.6K
R 6 1 1K
R 1 7 1K
C02 3 2 0.1591549U
R03 2 6 1K
C03 7 4 0.1501549U
.SUBCKT OPAMP vi- vi+ v0+ v0-
*
*
RIN vi- vi+ 10E6
EIN 1 0 vi+ vi- 2E05
R3DB 1 2 1K
C3DB 2 0 0.159E-04
EOUT 3 v0- 2 0 1
DP 2 VP DIODE
DN VN 2 DIODE

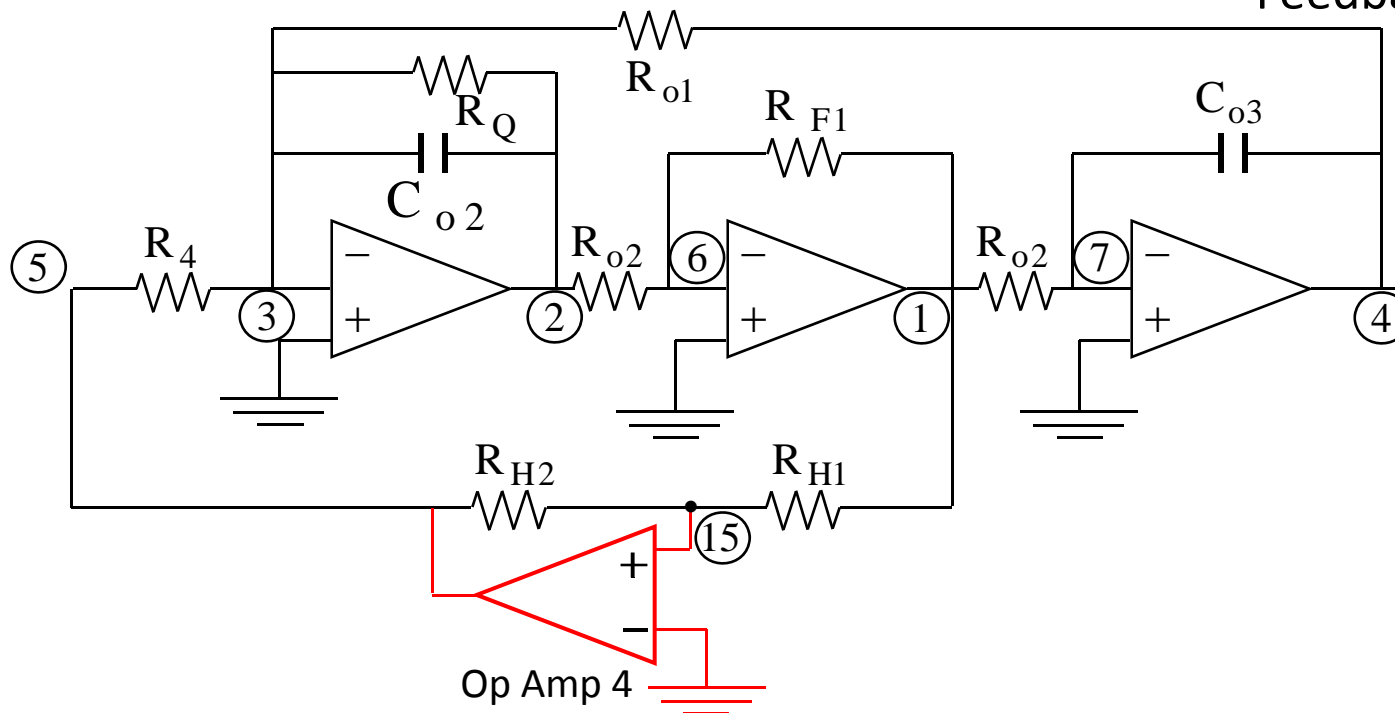
```

```

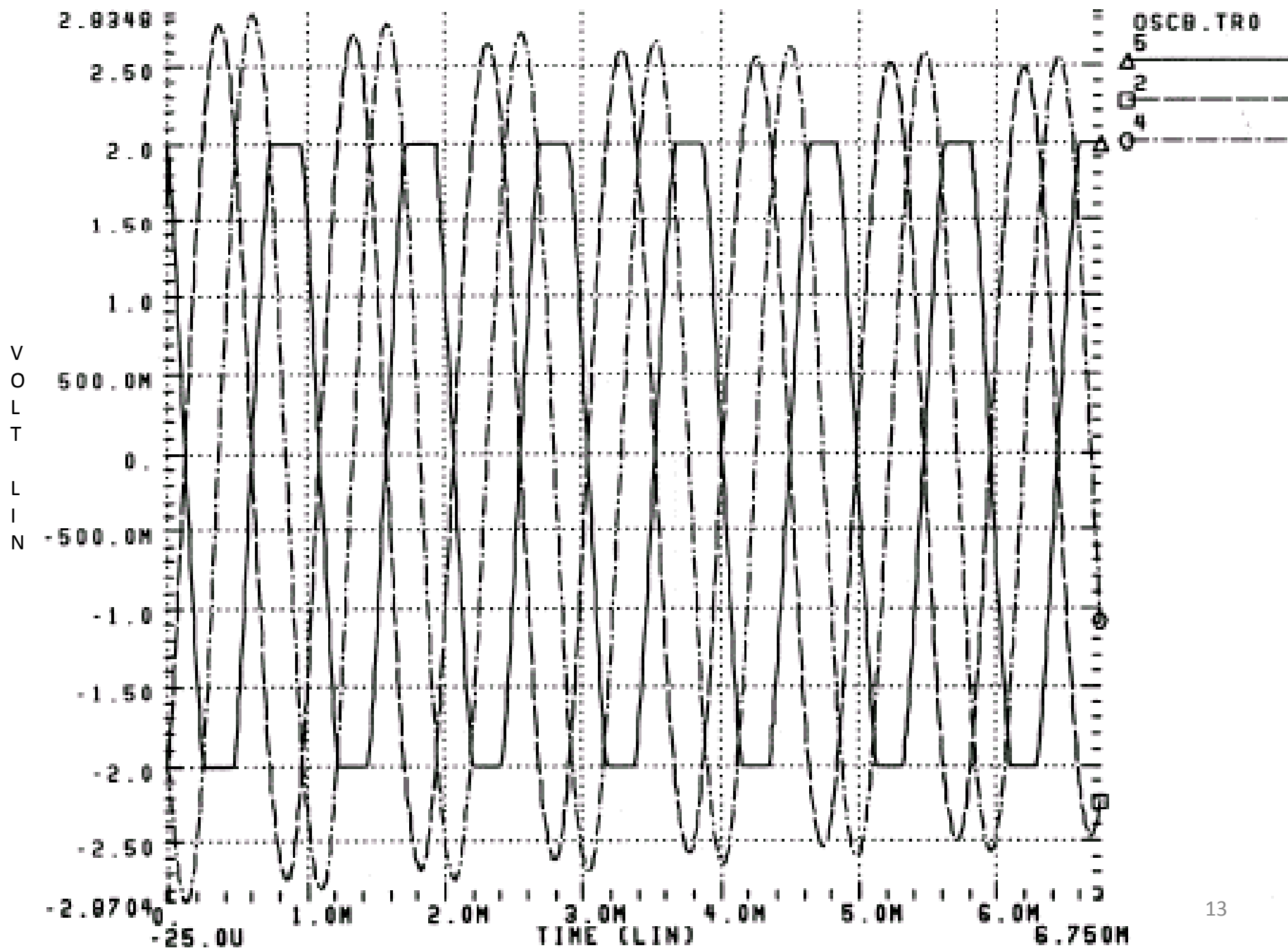
VPP VP 0 13
VNN VN 0 -13
ROUT 3 v0+ 75.
.MODEL DIODE D(IS=10E-08 N=0.01)
.ENDS OPAMP
* DESCRIPTION OF OPAMPS AND THEIR NODES
XOP1 3 0 2 0 OPAMP
XOP2 6 0 1 0 OPAMP
XOP3 7 0 4 0 OPAMP
*LIMITER Hysteresis CIRCUIT DESCRIPTION
RH1 1 15 2K
RH2 15 5 13K
XOP4 0 15 5 0 OPAMP
* DESIRED ANALYSIS RESPONSE
.TRAN 5U 20m UIC
.FOURIER 57 V(1) V(2) V(4)
.IC V(1)=2 V(2)=-2 V(4)=-2 V(5)=2
.OPTIONS POST
.END

```

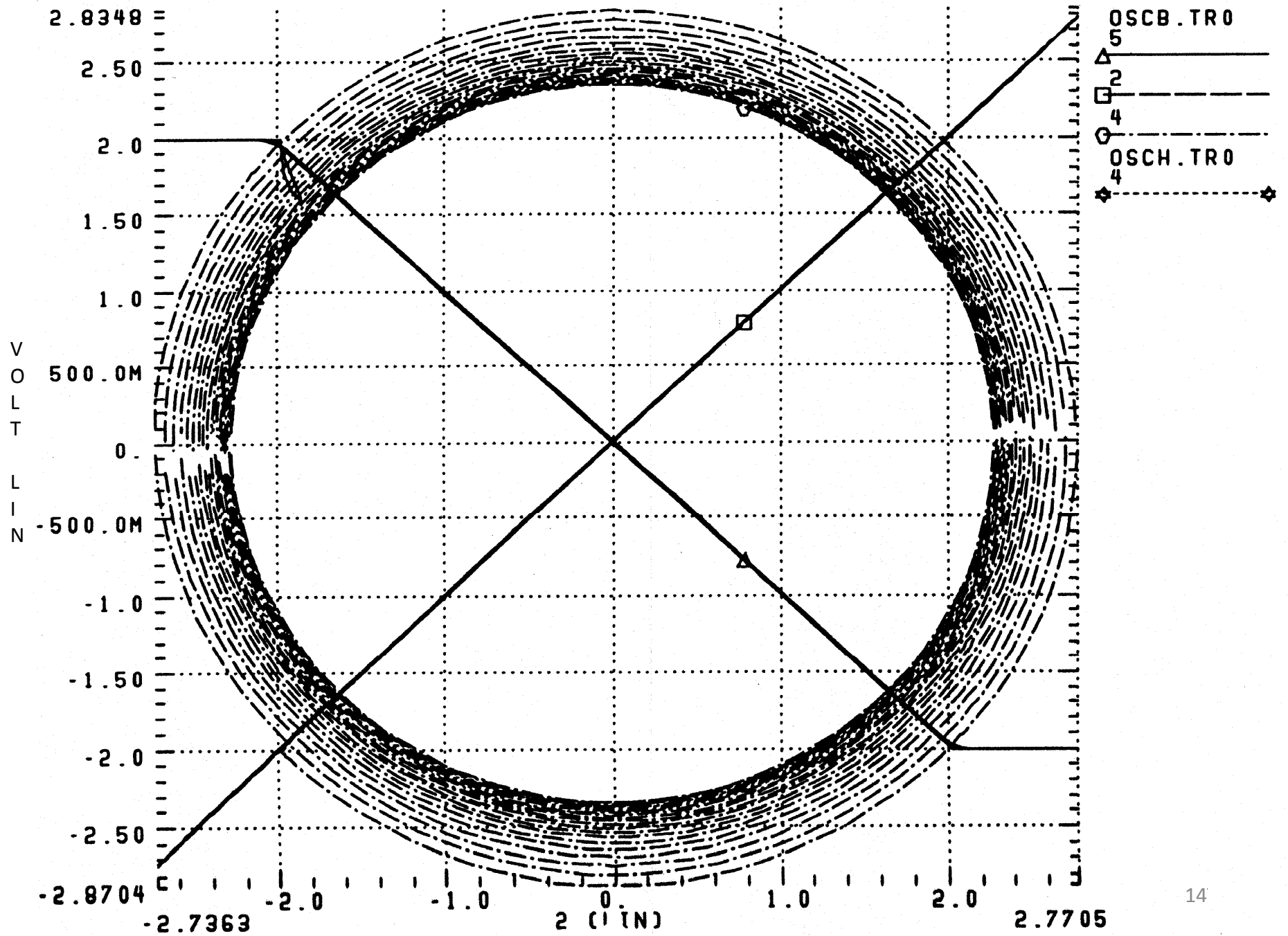
Double Positive Feedback



OSCILLATOR BASED ON A TOM-THOMAS BP
95/04/22 15:41:53



OSCILLATOR BASED ON A TOW-THOMAS BP
95/04/22 15:41:53

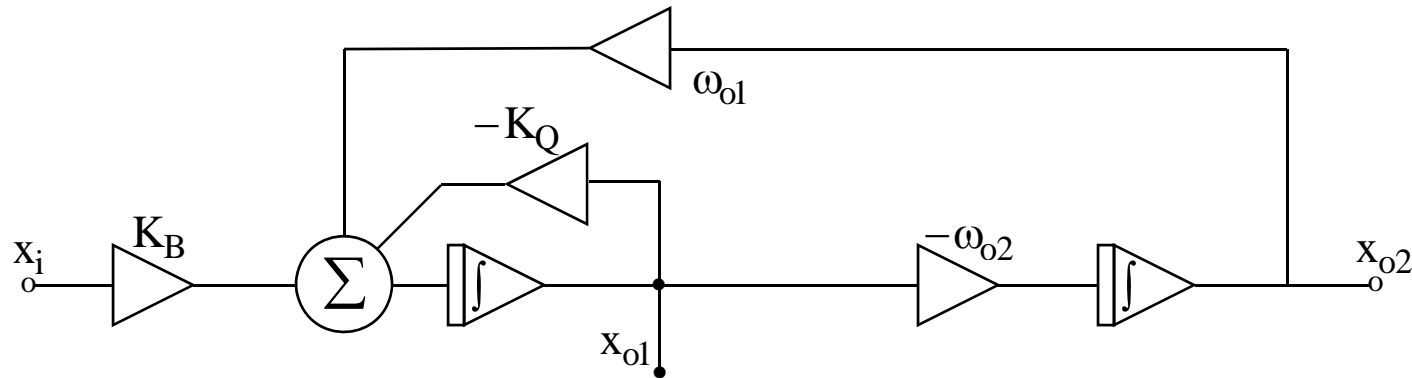


Simulations
Active-Filter Tuned Oscillator

Hints

- First design a band pass filter
 - High Q
 - Gain
- Next decide on type of limiter
- Finally be sure the path from the band pass output through the limiter to the input is positive feedback.

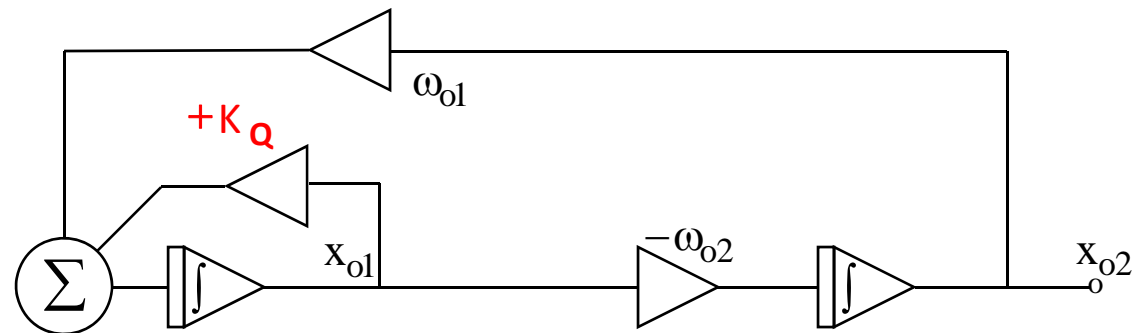
Quadrature Oscillator



Two Integrator Loop Filter

$$H_1(s) = \frac{x_{o1}(s)}{x_i(s)} = \frac{\frac{K_B}{s}}{1 + \frac{K_Q}{s} + \frac{\omega_{o1} \cdot \omega_{o2}}{s^2}} = \frac{K_B s}{s^2 + K_Q s + \omega_{o1} \omega_{o2}}$$

$H_1(s)$ is a second-order bandpass. The topology of this integrator loop can be modified to yield a *quadrature oscillator*.



Quadrature Oscillator Architecture

Observe that the characteristic equation yields:

$$1 - \frac{K_Q}{s} + \frac{\omega_{o1}\omega_{o2}}{s^2} = 0$$

or

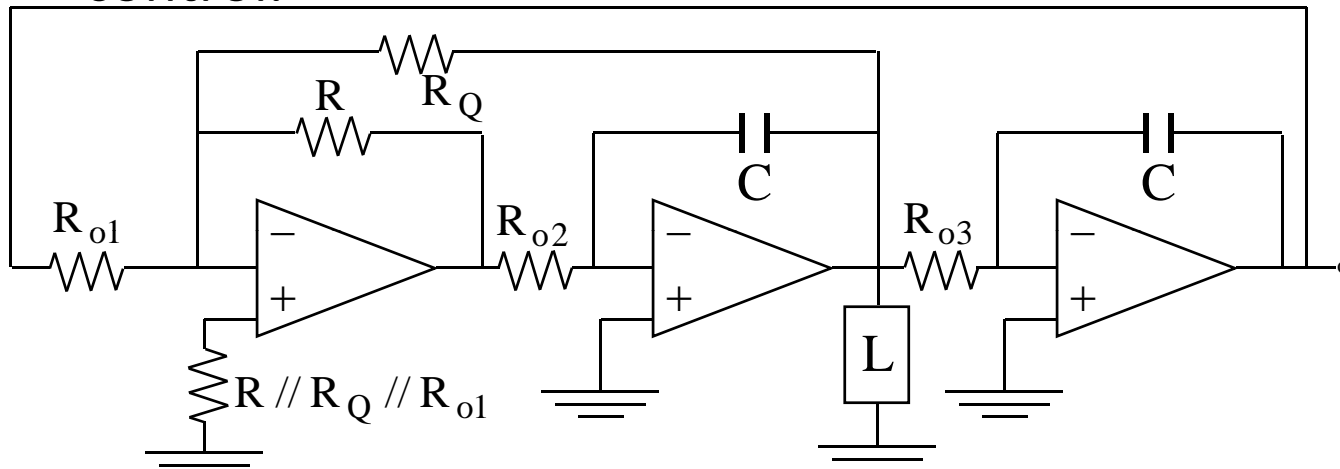
$$s^2 - K_Q s + \omega_{o1}\omega_{o2} = 0$$

The roots are placed at

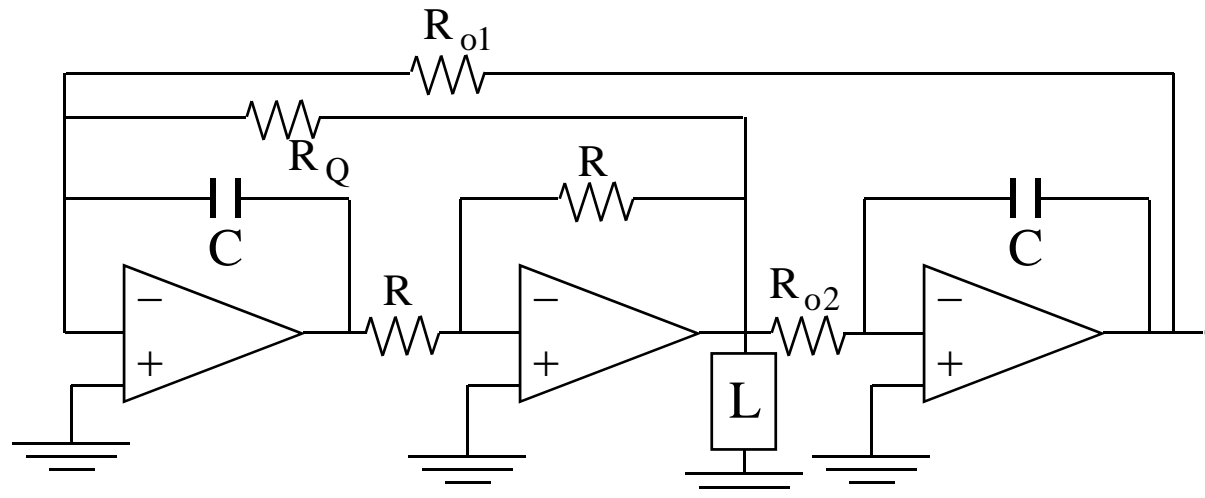
$$s_{1,2} = \frac{K_Q \pm \sqrt{K_Q^2 - 4\omega_{o1}\omega_{o2}}}{2} \quad \left| \quad \begin{array}{l} = \frac{K_Q}{2} \pm \frac{j}{2} \sqrt{4\omega_{o1}\omega_{o2} - K_Q^2} \\ K_Q^2 < 4\omega_{o1}\omega_{o2} \end{array} \right.$$

To provide sustained oscillations we need to locate the poles on the $j\omega$ axis, this requires:

- i) $K_Q = E$ small positive value
- ii) To limit the output by means of a nonlinear gain control.



One possible Quadrature Oscillator Structure



Oscillator at component level simulation

```

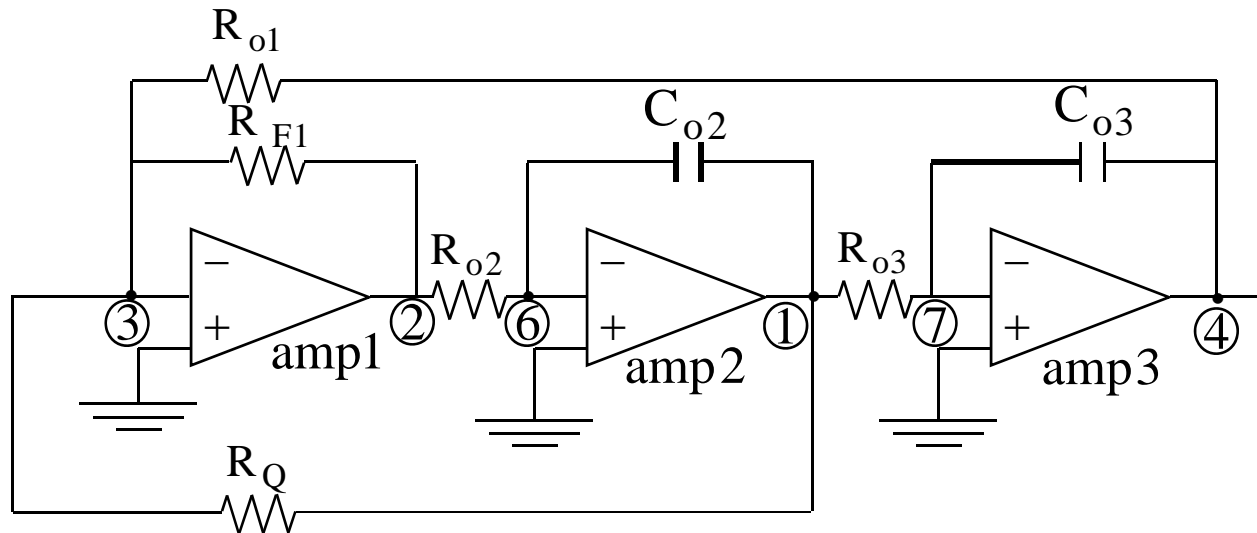
RO1  4  3  220K
RQ   1  3  510K
RF1  3  2  310K
RO2  2  6  100K
CO2  6  1  0.01U
RO3  1  7  100K
CO3  7  4  0.001U
.SUBCKT OPAMP  vi-  vi+  v0+  v0-
*
*
RIN  vi-  vi+  10E6
BIN  1    0   vi+  vi-  2E05
R3DB 1    2   1K
C3DB 2    0   0.159E-04
BOUT 3  V0-  2    0    1
DP   2    VP  DIODE

```

```

DN  VN  2  DIODE
VPP  VP  0  13
VNN  VN  0  -13
ROOT 3   v0+  75.
.MODEL DIODE D (IS=10E-05 N=0.001)
.ENDS OPAMP
* DESCRIPTION OF OPAMPS AND THEIR NOOES
XOP1  3  0  2  0  OPAMP
XOP2   6  0  1  0  OPAMP
XOP3   7  0  4  0  OPAMP
.TRAN  10U  40m  UIC
.FOURIER  57  V(1)  V(2)  V(4)
.IC      V(1)=.2  V(2)=-.2  V(4)=-.2
.OPTIONS POST
.OP .08
.END

```



QUADRATURE OSCILLATOR
(NO EXTERNAL LIMITER)

OSCILLATOR AT COMPONENT LEVEL SIMULATION
95/04/22 11:53:54

